

Independent and Dependent Probability Stations

Station 1

1. Circle the appropriate answer for each card.

Card 1:	INDEPENDENT	OR	DEPENDENT
Card 2:	INDEPENDENT	OR	DEPENDENT
Card 3:	INDEPENDENT	OR	DEPENDENT
Card 4:	INDEPENDENT	OR	DEPENDENT
Card 5:	INDEPENDENT	OR	DEPENDENT
Card 6:	INDEPENDENT	OR	DEPENDENT
Card 7:	INDEPENDENT	OR	DEPENDENT
Card 8:	INDEPENDENT	OR	DEPENDENT
Card 9:	INDEPENDENT	OR	DEPENDENT
Card 10:	INDEPENDENT	OR	DEPENDENT
Card 11:	INDEPENDENT	OR	DEPENDENT
Card 12:	INDEPENDENT	OR	DEPENDENT
Card 13:	INDEPENDENT	OR	DEPENDENT
Card 14:	INDEPENDENT	OR	DEPENDENT
Card 15:	INDEPENDENT	OR	DEPENDENT
Card 16:	INDEPENDENT	OR	DEPENDENT

2. What makes independent and dependent probability different? Independent events have no effect on each other. Dependent events affect the probability of the events.

Station 2

1. Does the left column represent independent or dependent probability? independent

2. Does the right column represent independent or dependent probability? dependent

a) Red candy twice (replaced)

$$\frac{3}{12} \cdot \frac{3}{12} = \frac{1}{16}$$

b) Yellow candy then a green candy (replaced)

$$\frac{2}{12} \cdot \frac{2}{12} = \frac{1}{36}$$

c) Blue candy twice (replaced)

$$\frac{5}{12} \cdot \frac{5}{12} = \frac{25}{144}$$

f) Yellow candy then a green candy (not replaced)

$$\frac{2}{12} \cdot \frac{2}{11} = \frac{1}{33}$$

d) Green candy followed by a blue candy (replaced)

$$\frac{2}{12} \cdot \frac{5}{12} = \frac{5}{72}$$

g) Blue candy twice (not replaced)

$$\frac{5}{12} \cdot \frac{4}{11} = \frac{5}{33}$$

e) Red candy twice (not replaced)

$$\frac{3}{12} \cdot \frac{2}{11} = \frac{1}{22}$$

h) Green candy followed by a blue candy (not replaced)

$$\frac{2}{12} \cdot \frac{5}{11} = \frac{10}{132} = \frac{5}{66}$$

Station 3

P(apple, cherry) $\frac{2}{12} \cdot \frac{4}{12} = \frac{1}{18}$	P(cherry, mystery) $\frac{4}{12} \cdot \frac{6}{12} = \frac{1}{6}$	P(not cherry, mystery) $\frac{8}{12} \cdot \frac{6}{12} = \frac{1}{3}$	P(cherry, not cherry) $\frac{4}{12} \cdot \frac{8}{12} = \frac{2}{9}$
P(apple, mystery) $\frac{2}{12} \cdot \frac{6}{12} = \frac{1}{12}$	P(mystery, mystery) $\frac{6}{12} \cdot \frac{6}{12} = \frac{1}{4}$	P(apple, not mystery) $\frac{2}{12} \cdot \frac{6}{12} = \frac{1}{12}$	P(not apple, not apple) $\frac{10}{12} \cdot \frac{10}{12} = \frac{25}{36}$

1. Do these problems represent independent or dependent probability? Independent

Station 4

P(M, M) $\frac{2}{11} \cdot \frac{1}{10} = \frac{1}{55}$	P(C, S) $\frac{1}{11} \cdot \frac{1}{10} = \frac{1}{110}$	P(T, H) $\frac{2}{11} \cdot \frac{1}{10} = \frac{1}{55}$	P(A, M) $\frac{2}{11} \cdot \frac{2}{10} = \frac{2}{55}$
P(E, R) $\frac{1}{11} \cdot \frac{0}{10} = 0\%$	P(A, not H) $\frac{2}{11} \cdot \frac{9}{10} = \frac{9}{55}$	P(I, M, S) $\frac{1}{11} \cdot \frac{2}{10} \cdot \frac{1}{9} = \frac{1}{495}$	P(T, S, not A) $\frac{2}{11} \cdot \frac{1}{10} \cdot \frac{7}{9} = \frac{7}{495}$

1. Do these problems represent independent or dependent probability? Dependent